

Tytuł: **Isomorphisms between the left uniform compactification of locally compact groups**
Referent: **Safoura Zadeh**
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For a locally compact group G , let $C_b(G)$ be the space of all complex-valued, continuous and bounded functions on G equipped with the sup-norm, and $LUC(G)$ be the subspace of $C_b(G)$ consisting of all functions f such that the map $G \rightarrow C_b(G); x \mapsto l_x f$ is continuous, where $l_x f$ is the function defined by $l_x f(y) = f(xy)$, for each $y \in G$. The subspace $LUC(G)$ forms a unital commutative C^* -algebra. We can induce a multiplication on the Gelfand spectrum of $LUC(G)$, G^{LUC} , with which G^{LUC} forms a semigroup. When G is discrete, G^{LUC} is in fact the Stone-Čech compactification of G . In this talk, I study some properties of G^{LUC} , the so called right topological semigroup compactification of G . I also discuss the question of when the corona, $G^{LUC} \setminus G$, determines the underlying topological group G .